

# The Acid Rain Program: Background, Impacts, and Lessons for Climate Change Policy

Jacob Bradt

Section 8

ECON 1661 / API-135: Spring 2022

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# Announcements

- Office hours today from 3:00-5:00pm EDT
- Problem set #3 due next Wednesday, March 30 at 12:00pm EDT
- Midterm grades and solutions posted

# Outline

Climate Policy and Correlated Air Pollutants

Acid Rain Program

Hybrid Policy Instruments

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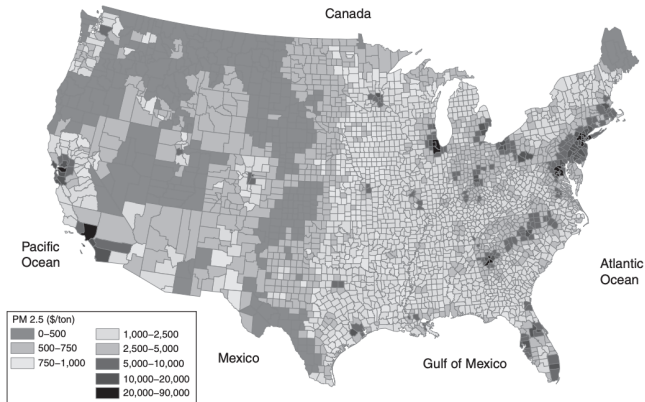
## Correlated air pollutants

- GHG emissions from many sources are associated with a number of co-pollutants:
  - Burning of fossil fuels generates other pollutants in addition to GHGs
  - E.g., burning of coal → GHGs + SO<sub>2</sub>, NO<sub>x</sub>, and PM
- This has major implications for the economic analysis of climate policy
  - E.g., “Clean Power Plan” rule: 94% of domestic and 59% of global annual benefits in 2030
- Natural question: should we think about climate policy and air quality regulation separately?

## Review: cost-effectiveness vs. efficiency

- **Cost-effectiveness**: conditional on the level of abatement, is the allocation of abatement across firms cost-minimizing?
  - Necessary condition:  $MC_1 = MC_2 = \dots = MC_n$
- **Efficiency**: is the level of abatement net benefit maximizing?
  - Necessary conditions:  $MC_i = MB_i$  (marginal cost of abatement equals the marginal benefit of abatement across all sources)
    - Standard case so far:  $MB_i = MB$  for all firms  $i$ 
      - Efficiency implies that MC will be equalized across all sources and we can think of  $MB=MC$  as determining the optimal level of control
- But what if  $MB_i$  is not constant or known across firms?
  - Example where  $MB_i$  constant: CO<sub>2</sub> emissions
  - Example where  $MB_i$  not constant: local air pollutants (e.g., SO<sub>2</sub>, NO<sub>x</sub>, PM)

# Benefit heterogeneity: PM<sub>2.5</sub> emissions<sup>1</sup>



- Benefits of PM<sub>2.5</sub> reductions (avoided marginal damages) concentrated in northeast, southern California, Chicago
- Drivers of benefit heterogeneity:
  - Population exposure differences
  - Nonlinearities in dose-response function

<sup>1</sup>Muller, N. Z. and R. Mendelsohn. 2009. "Efficient Pollution Regulation: Getting the Prices Right." *American Economic Review*, 99(5):1714-39.

# Implications for climate policy and air quality regulations

- Should we jointly regulate GHG emissions and local air pollutants?
- Marginal benefit of CO<sub>2</sub> abatement known and constant: Social Cost of Carbon
  - Efficient policy design feasible in theory: set policy such that  $MC_i = SCC$  for all firms  $i$
- Joint regulation →  $MB_i$  no longer constant (and “easily” known) across firms
  - Potential argument for separate regulation: we can design a fast train to the *right* station, at least with climate policy
  - Tinbergen (1952, 1956): efficient policymaking requires separate policy instruments to correct for separate market failures
  - Muller (2012)<sup>2</sup>: economic cost of setting the wrong aggregate emission reduction target when jointly regulating GHG emissions and co-pollutants can be large!
- Need to be careful about interactions between policies, though — more on this in the next few weeks!

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<sup>2</sup>Muller, N.Z. 2012. “The design of optimal climate policy with air pollution co-benefits.” *Resource and Energy Economics*, 34(4): 696-722.



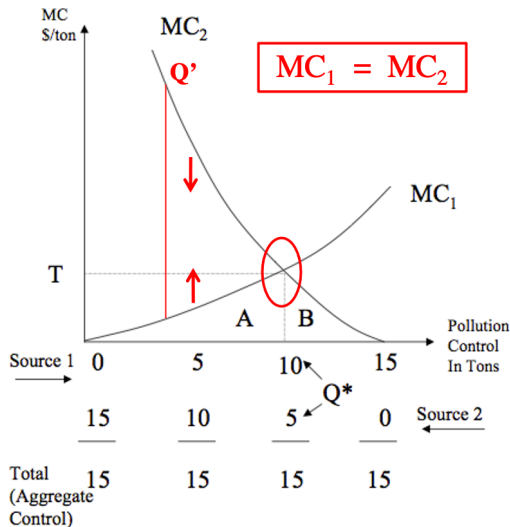
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## Review: cap-and-trade logic

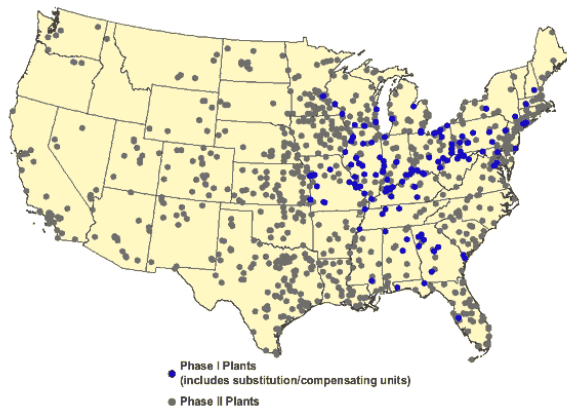


- Simple two-source model (but generalizes to  $N$  firms!)
  - Importantly, firms have different  $MC$
- Incentives to trade:
  - Firm 1 will sell permits (control more) at price  $> MC_1$
  - Firm 2 will buy permits (control less) at price  $< MC_2$
- Key intuition: under C&T, firms will trade such that permit price = marginal cost of abatement

## U.S. Acid Rain Program

- As early as Dales (1968), economists have discussed the tradable permit approach and its potential to achieve cost-effectiveness
- Up until the Acid Rain Program, however, market-based approaches had attracted hostility from non-economists and were rarely employed in practice
- The Acid Rain Program, or Title IV of the CAAA 1990, is an important, real world experiment in market-based environment policy

## CAAA 1990: Title IV



- Phase I (1995-1999): covered the 263 most SO<sub>2</sub> emissions-intensive sources
- Phase II (2000-): covers virtually all fossil fuel boilers in U.S.
- Tradeable permit program
  - Cap not set to maximize net benefits
  - Permit allocation: not auctioned

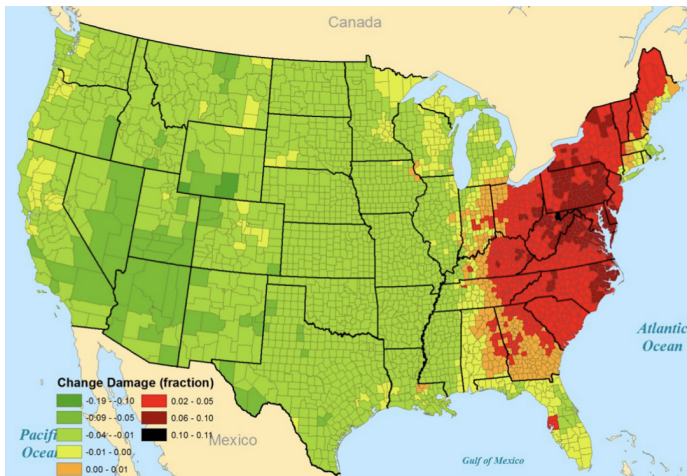
## Economic costs of ARP: Chan et al. (2018)<sup>3</sup>

- Quantify cost savings from ARP by comparing compliance costs for 761 coal-fired generators under ARP with those from a counterfactual uniform performance standard
- Estimate compliance costs in 2002 are \$200M lower under ARP than analogous counterfactual uniform standard
- Health damages in 2002 are \$170M lower under the ARP
- ARP appears to be cost-effective given the target

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<sup>3</sup>Chan, H.R., B.A. Chupp, M.L. Cropper and N.Z. Muller. 2018. "The impact of trading on the costs and benefits of the Acid Rain Program." *Journal of Environmental Economics and Management*, 88: 180-209.

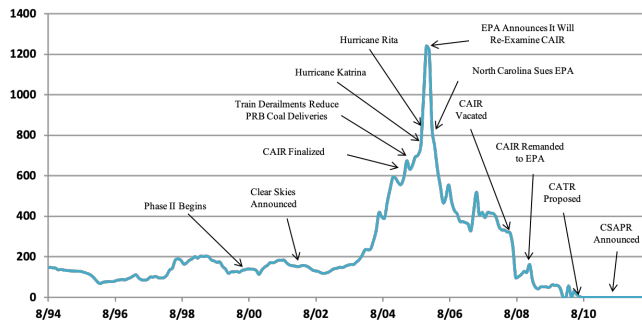
## Effect of trading: Chan et al. (2018)<sup>4</sup>



- Also compare health damages associated with ARP with a no-trade scenario
- Damages under the ARP are \$2.1B higher than under the no-trade scenario
- Driven by transfer of allowance from low MC units in western US to high MC units in the eastern US
- Fast trains, wrong station?

<sup>4</sup>Chan, H.R., B.A. Chupp, M.L. Cropper and N.Z. Muller. 2018. "The impact of trading on the costs and benefits of the Acid Rain Program." *Journal of Environmental Economics and Management*, 88: 180-209.

# SO<sub>2</sub> allowance prices



- Substantial price volatility in SO<sub>2</sub> allowance market
- Driven by changes in policy, natural disasters, business cycle, litigation, etc.
- Volatility affects firm decision-making (e.g., investment decisions)

How can we design a tradeable permit system to reduce volatility?

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## Hybrid policy instruments

- Definition: a hybrid or “safety-valve” policy instrument refers to a combined cap-and-trade and tax system
- **Price ceiling**: government can announce in advance that it is willing to sell (an unlimited number of) additional allowances at a specific price (the “trigger” price)
- **Price floor**: government can announce it will buy allowances at a specific price or set a minimum allowance price at auctions
- Combination of a price ceiling and price floor creates a “**price collar**”  $\implies$  limits the volatility of permit prices
  - As the difference between the price ceiling and price floor goes to zero, the cap-and-trade system becomes a tax

## Hybrid policy example problem (1/5)

*The EPA wants to reduce emissions of  $CO_2$ , which is currently unregulated. Economists estimate that the marginal costs and benefits of pollution control are as follows:*

$$MC = 3 + Q$$

$$MB = 9 - 0.5Q$$

*where  $Q$  is the quantity of  $CO_2$  emissions reductions. Calculate the efficient level of emissions reductions,  $Q^*$ , and the marginal cost of emissions reductions at this level,  $P^*$ .*

- Equating  $MC$  and  $MB$  and simplifying gives:

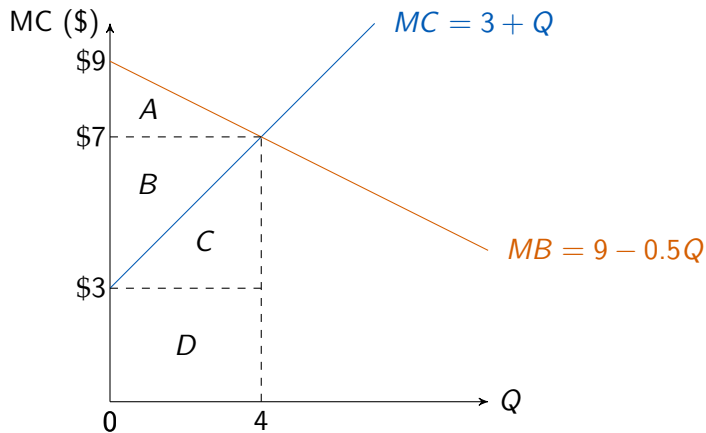
$$3 + Q^* = 9 - 0.5Q^* \implies \mathbf{Q^* = 4}$$

- The cost of emissions reductions,  $P^*$  at  $Q^* = 4$  can be found by plugging  $Q^*$  into  $MC$ :

$$P^* = MC(4) = 3 + (4) \implies \mathbf{P^* = \$7}$$

## Hybrid policy example problem (2/5)

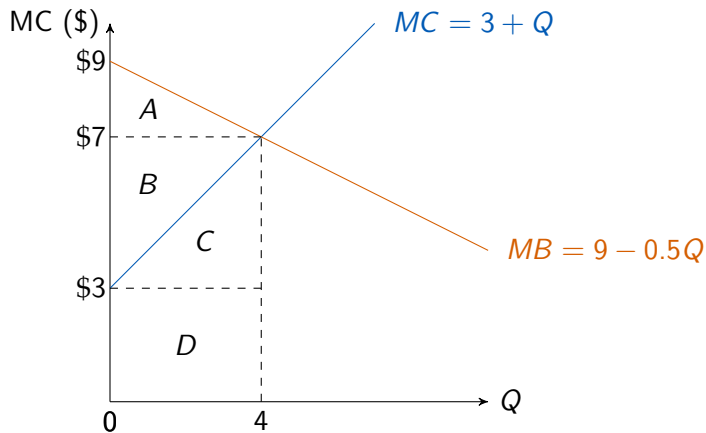
*What are the net benefits of setting the efficient policy?*



- Total benefits:  $A + B + C + D$
- Total cost:  $C + D$
- Net benefits:  $A + B$

## Hybrid policy example problem (2/5)

*What are the net benefits of setting the efficient policy?*



- Total benefits:  
 $\frac{1}{2}(9 - 7)(4) + (7 * 4) = 32$
- Total cost:  
 $\frac{1}{2}(7 - 3)(4) + (3 * 4) = 20$
- Net benefits:  $32 - 20 = 12$

## Hybrid policy example problem (3/5)

*It turns out that the estimated marginal cost function is an average of two competing reports: a high cost estimate and a low-cost estimate:*

$$MC_H = 6 + Q$$

$$MC_L = Q$$

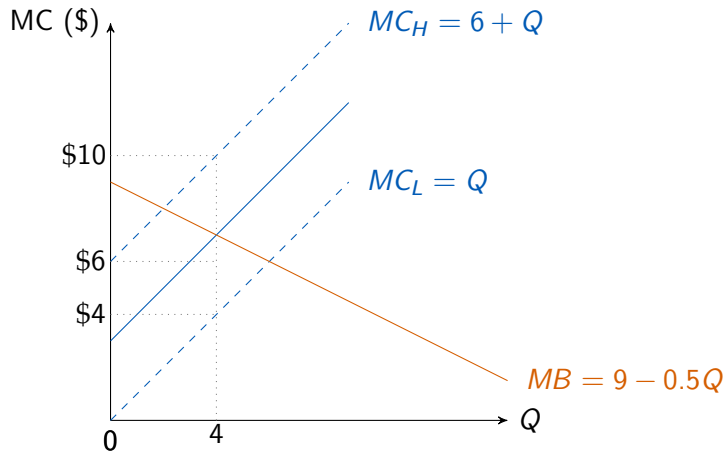
*Given this uncertainty, would you recommend that the regulator use a price or a quantity instrument to regulate emissions?*

- We can use the Weitzman rule!
- We would recommend a price instrument, because the slope of the marginal cost curve is greater than the absolute value of the slope of the marginal benefits curve:

$$|slope_{MC}| = 1 > 0.5 = |slope_{MB}|$$

## Hybrid policy example problem (4/5)

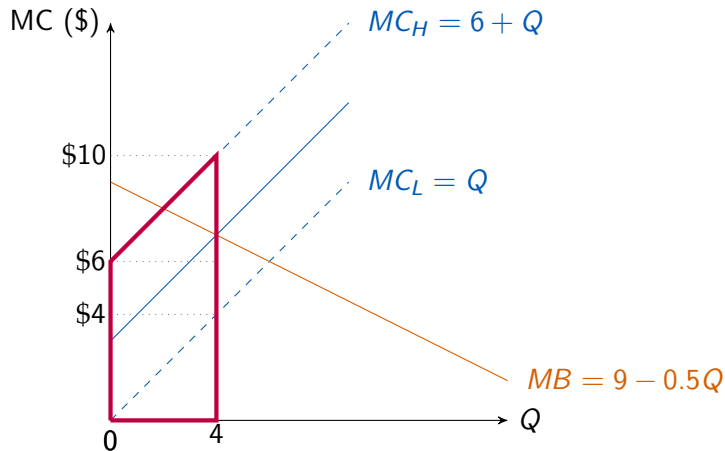
*The regulator chooses to use a quantity instrument, mandating emissions reductions equal to the efficient level,  $Q^*$ . Calculate the expected net benefits of this policy (assume that there is a 50% chance of each cost curve, high or low).*



- Gross benefits do not change: MB unchanged and regulators still set  $Q^* = 4$  as the cap

## Hybrid policy example problem (4/5)

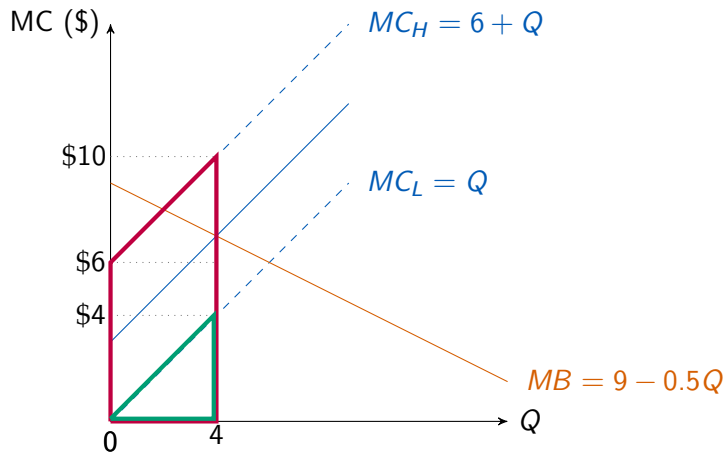
*The regulator chooses to use a quantity instrument, mandating emissions reductions equal to the efficient level,  $Q^*$ . Calculate the expected net benefits of this policy (assume that there is a 50% chance of each cost curve, high or low).*



- Gross benefits do not change: MB unchanged and regulators still set  $Q^* = 4$  as the cap
- If  $MC_H$  realized, total cost:  $\frac{1}{2}(10 - 6)(4) + (6 * 4) = 32$

## Hybrid policy example problem (4/5)

*The regulator chooses to use a quantity instrument, mandating emissions reductions equal to the efficient level,  $Q^*$ . Calculate the expected net benefits of this policy (assume that there is a 50% chance of each cost curve, high or low).*

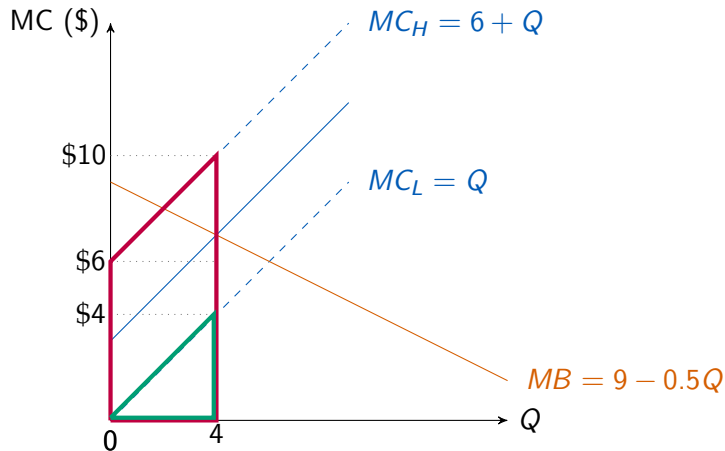


- Gross benefits do not change: MB unchanged and regulators still set  $Q^* = 4$  as the cap
- If  $MC_H$  realized, total cost:  $\frac{1}{2}(10 - 6)(4) + (6 * 4) = 32$
- If  $MC_L$  realized, total cost:  $\frac{1}{2}(4 - 0)(4) = 8$



## Hybrid policy example problem (4/5)

*The regulator chooses to use a quantity instrument, mandating emissions reductions equal to the efficient level,  $Q^*$ . Calculate the expected net benefits of this policy (assume that there is a 50% chance of each cost curve, high or low).*



Net benefits are zero if  $MC_H$  is realized and 24 if  $MC_L$  is realized, so expected net benefits are:

$$0 * 0.5 + 24 * 0.5 = 12$$

## Hybrid policy example problem (5/5)

*Industry is concerned about price spikes if emission reductions turn out to be expensive. To allay their fears, the regulator writes a “safety valve” into the law: specifically, treasury agrees to sell an unlimited number of permits at \$8. Calculate the expected emissions reductions and the expected net benefits with the safety valve.*

- When  $MC = MC_L = Q$ , the market permit price at  $Q = 4$  will be 4
  - Since this is below 8, there will be no demand for the treasury's additional permits and the net benefit remains the same as previously calculated: 24
- When  $MC = MC_H = 6 + Q$ , the market permit price at  $Q = 4$  is 10
  - This is greater than the safety valve price; firms will abate until  $MC = 8$ , after which they buy permits from the treasury to meet the  $Q = 4$  cap
- $MC = 8$  when  $Q = 2$ , so 2 units will be abated
  - Gross benefits when  $Q = 2$  will be:  $\frac{1}{2}(9 - 8)(2) + (2 * 8) = 17$
  - The cost will be:  $\frac{1}{2}(8 - 6)(2) + (2 * 6) = 14$
  - So the net benefits are 3

## Hybrid policy example problem (5/5)

*Industry is concerned about price spikes if emission reductions turn out to be expensive. To allay their fears, the regulator writes a “safety valve” into the law: specifically, treasury agrees to sell an unlimited number of permits at \$8. Calculate the expected emissions reductions and the expected net benefits with the safety valve.*

- The expected emissions reductions is just the probability-weighted sum of the emissions reductions in each case:  $0.5(4) + 0.5(2) = 3$
- The expected net benefits is the probability-weighted sum of the net benefits in each case:  $0.5(24) + 0.5(3) = 13.5$
- The expected net benefit is larger than 12, which was the expected net benefit without the safety valve!

# Takeaways

- Reductions in correlated air pollutants are an important ancillary benefit to climate policy, but there may be reasons to regulate separately
- The Acid Rain Program is a great example of a market-based policy in action
- ARP offers a number of important takeaways; two in particular (see lecture for others):
  1. It may have been cost-effective, but welfare loss from inefficiency plausibly large
  2. Hybrid policy features that address price volatility can improve outcomes